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Course 565/665 Lecturer Prof. Cavagnaro  
Day 1.29.04 Date 9:55 am  
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P for sequence. ABCD ... Z.  $P_{no 2}$  ?

$$P_{ABC...Z} = \frac{1}{26} \cdot \frac{1}{25} \cdot \frac{1}{24} \cdots 1$$

(specific seq.) =  $P(A) \cdot P(B/A) \cdots P(Y/A...X) \cdots P(Z/A...Y)$

W for indistinguishable objects

Ex: W for "AAH" ?

If  $A_1$  are distinguishable.  $A_1A_2H$   $A_2A_1H$  ...  $W = 3! = 6$

Actually  $A_1$  and  $A_2$  are indistinguishable, need to correct

overcounting:  $N!_{corr} \equiv \#$  of permutation of indistinguishable objects

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so,  $W = \frac{N!}{N_{\text{arr}}!}$

For  $N$  objects belonging to " $t$ " categories, containing " $m_i$ " indistinguishable objects:

$$W = \frac{N!}{m_1! m_2! \dots m_t!}$$

(ex) =  $W$  for the word FREEZER,  $N=7$ ,  $t=4$ .

$$W = \frac{7!}{1! 2! 3! 1!}$$

(ex)  $t=2$ ,  $W = \frac{N!}{M! (M-N)!}$

$M$ : # of objects in 1st category.

$M-N$ : # in 2nd category

(ex) Flip a coin 100 times. how many possible sequences have 20H?

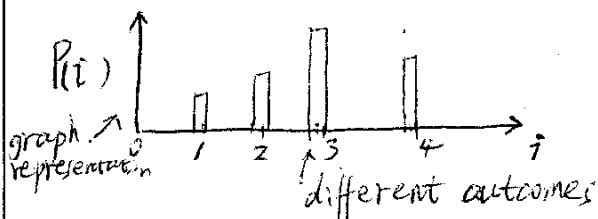
$$W = \frac{100!}{20!(100-20)!}$$

Prob. distribution functions (DF)

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be CE, ME.  
 $i = \text{each outcome} = 1, 2, 3, 4.$   
 $t = 4 \text{ diff. outcomes}$

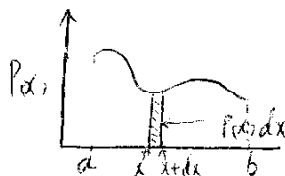
$$\sum_{i=1}^t P(i) = 1 \quad \text{--- math representation}$$

$P(i)$  above = discrete DF

Continuous DF

$$\text{Prob.} = P(x) dx$$

$$\text{prob. density} = P(x)$$



the prob. of an event per unit interval  $dx$

$$\int_a^b P(x) dx = 1$$

Normalization factors

$$\text{normalize: } P(x) = \frac{\psi(x)}{\int_a^b \psi(x) dx} = \frac{\psi(x)}{\psi_0}$$

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