

Course 565/665 Lecturer Prof. Cavagnero  
 Day 4-1-04 Date 9-55 am  
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for each particle,  $\langle E \rangle = - \left( \frac{\partial \ln q}{\partial \beta} \right)_{N,V}$

$q$ : partition fn. for each particle.

ensembles: (collection of particles)  $\rightarrow$  systems?

① canonical ensemble  $\Rightarrow N, T, V$  constant.

② Isobaric - isothermal ensemble  $\Rightarrow N, T, P$  constant.

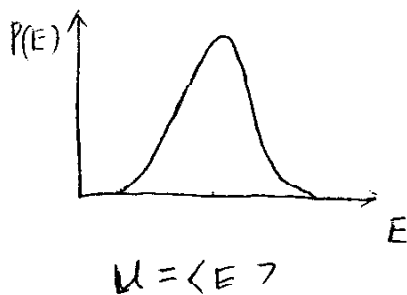
③ Grand - canonical ensemble  $\Rightarrow T, V, \mu$  constant

④ Microcanonical ensemble  $\Rightarrow N, U, V$

$\downarrow$  no energy fluctuation allowed. ( $\because$  isolated system)

ch. 12.

$C_V$  — energy fluctuation



$$\sigma_E^2 = kT^2 C_V$$

from experimental measurement  $C_V, U$ .  
 can construct the (left graph) roughly

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## ch 13. chemical equilibrium



$$K_{AB} = \frac{N_B}{N_A}$$

at constant T, P, ~~N~~:

$$dG = -SdT + Vdp + \mu_A dN_A + \mu_B dN_B = 0$$

$$\mu_A dN_A + \mu_B dN_B = 0$$

$$N = N_A + N_B$$

$$\Rightarrow dN_A = -dN_B$$

$$\left. \begin{array}{l} \mu_A dN_A + \mu_B dN_B = 0 \\ dN_A = -dN_B \end{array} \right\} \Rightarrow (\mu_A - \mu_B) dN_A = 0$$

$$\Rightarrow \mu_A = \mu_B$$