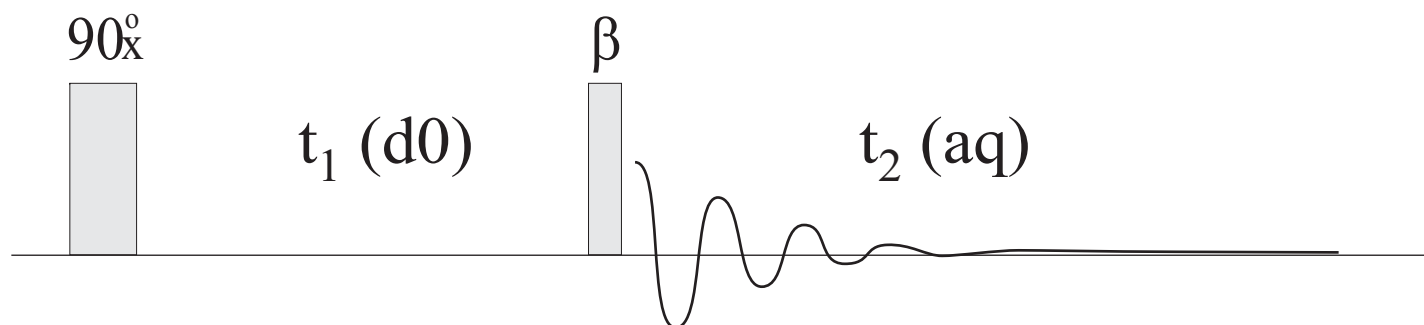


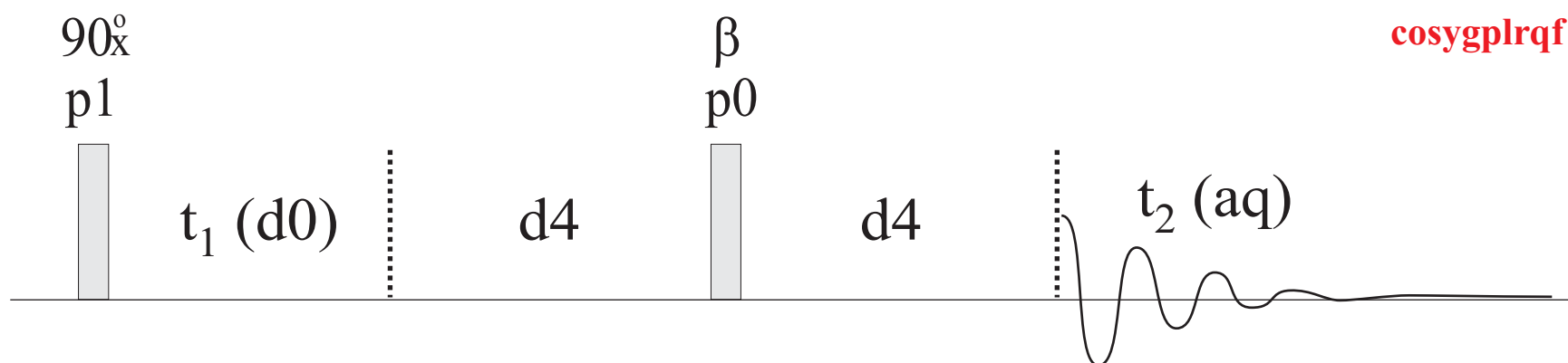
# Schematic of the COSY- $\beta$ Experiment



$\beta = 90^\circ$  Provides complete multiplet structures, and has maximum S/N.

$\beta = 45^\circ$  Reduces intra-multiplet structure (cleans the diagonal), but with reduced S/N (which usually can be afforded). Also shows the sign of the J-coupling constant, useful for discerning between vicinal and geminal protons.

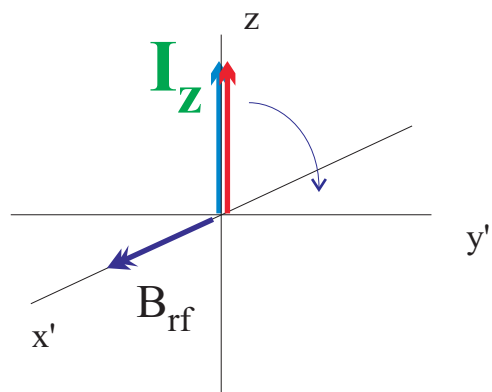
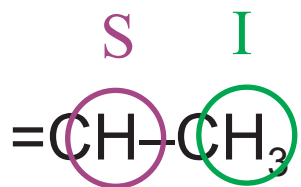
# Schematic of the Long-Range COSYLR Experiment



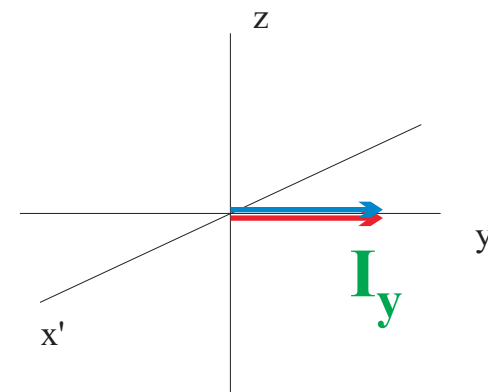
$\beta = 90^\circ$  or  $45^\circ$  as in COSY- $\beta$ .

d4 = fixed delay of typically 50 - 200 ms. This delay allows simpler access to the long evolution times needed to observe small J-couplings (i.e., needed to create sufficient *antiphase* magnetization to generate observable crosspeaks).

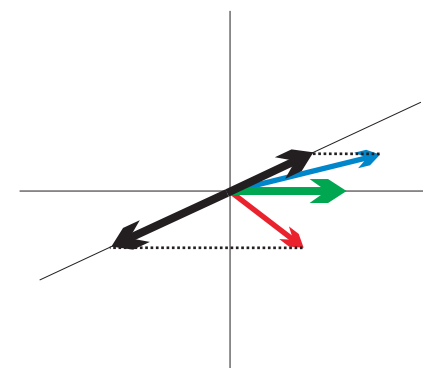
topspin/icon → cosyLr.UW



$90^\circ_x$

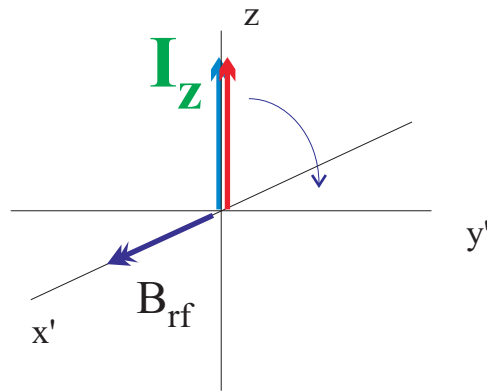
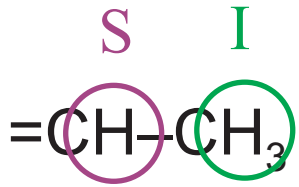


$t_1 \sim 1/4J$

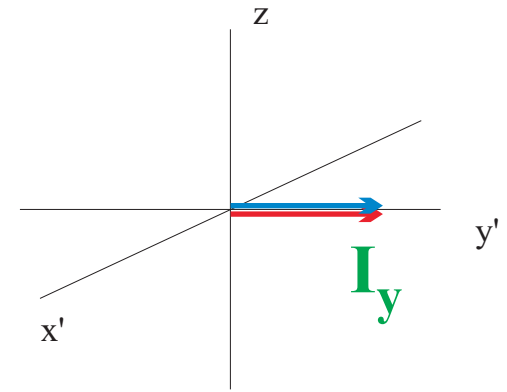


The vector presentation, as shown here, is useful, but also dangerous. It does *not* correctly describe the spin state. One must stay on-resonance with this vector presentation of  $J$ -couplings, and be mindful of its inherent limitations. Product operators correctly describe the magnetization, which evolves under  $J$ -coupling as follows:

$$I_y \rightarrow I_y \cos(\pi J t_1) + I_x S_z \sin(\pi J t_1)$$



$90_x^\circ$

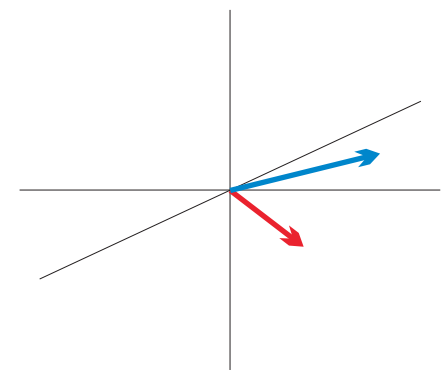


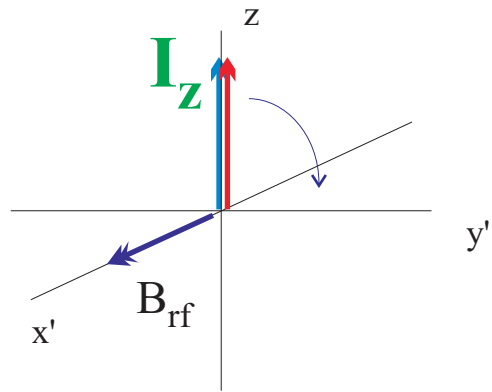
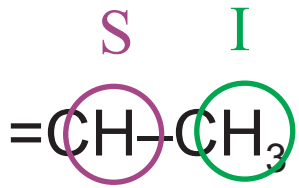
$$I_y \rightarrow I_y \cos(\pi J t_1) + I_x S_z \sin(\pi J t_1)$$

The product operator  $I_x S_z$  is called antiphase magnetization. The bilinear operator is a form of mixed magnetization that is not directly observable. It evolves, however, as:

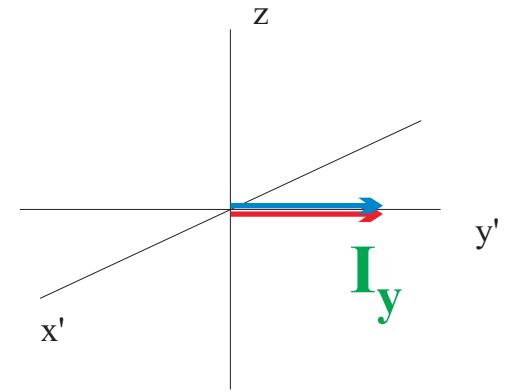
$$I_x S_z \rightarrow I_x S_z \cos(\pi J t_1) + I_y \sin(\pi J t_1)$$

$t_1 \sim 1/4J$

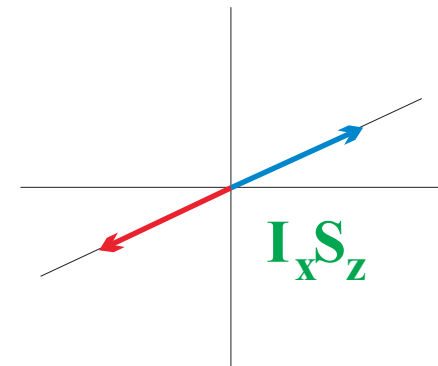




$90_x^\circ$



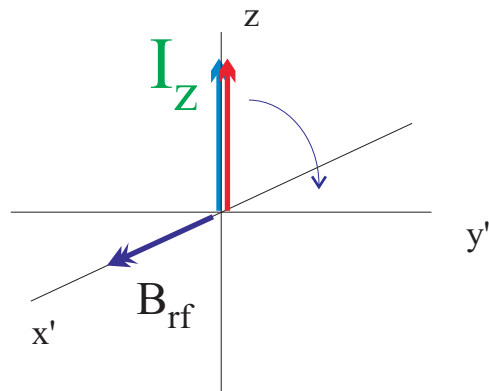
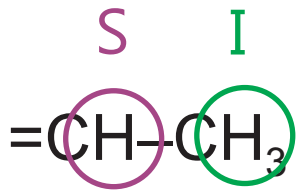
$t_1 \sim 1/2J$



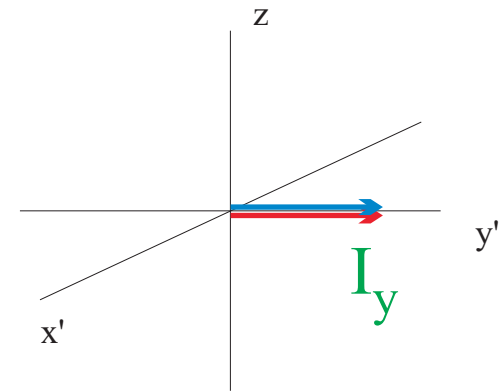
$$I_y \cos(\pi J t_1) + I_x S_z \sin(\pi J t_1)$$

at  $t_1 = 1/2J \rightarrow I_x S_z$

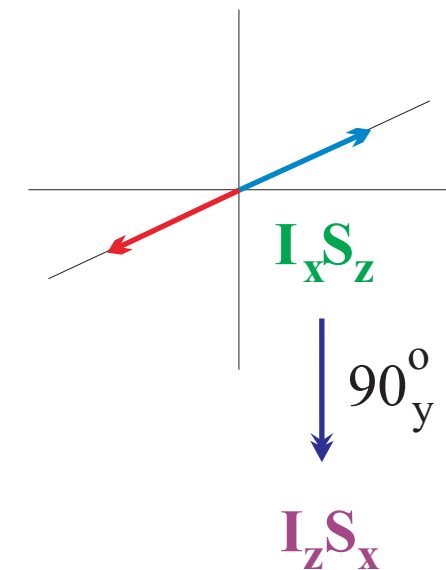
pure antiphase magnetization



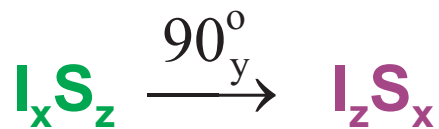
$90_x$

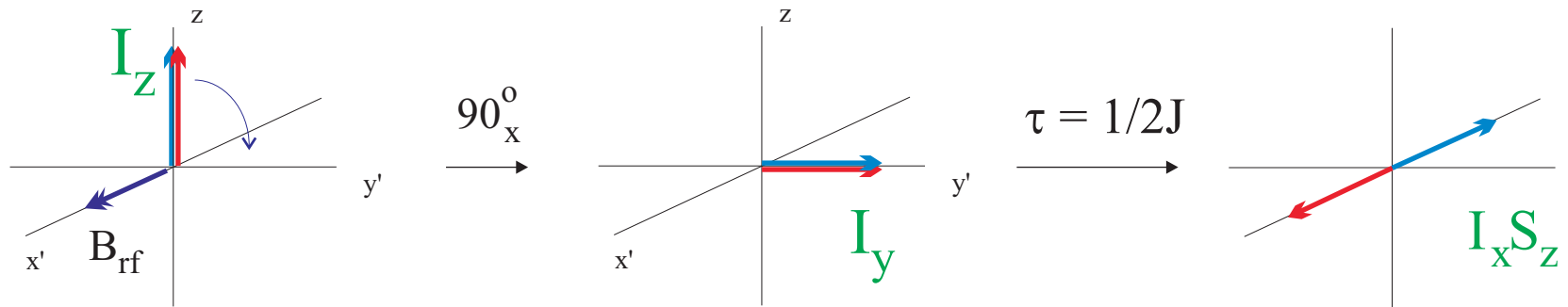


$t_1 \sim 1/2J$

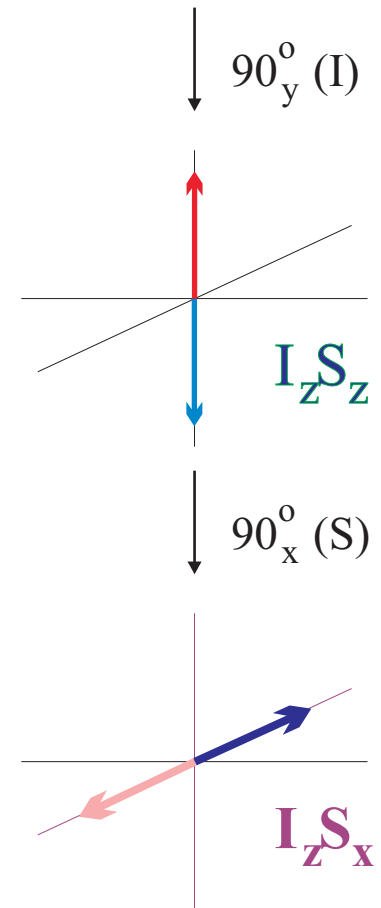
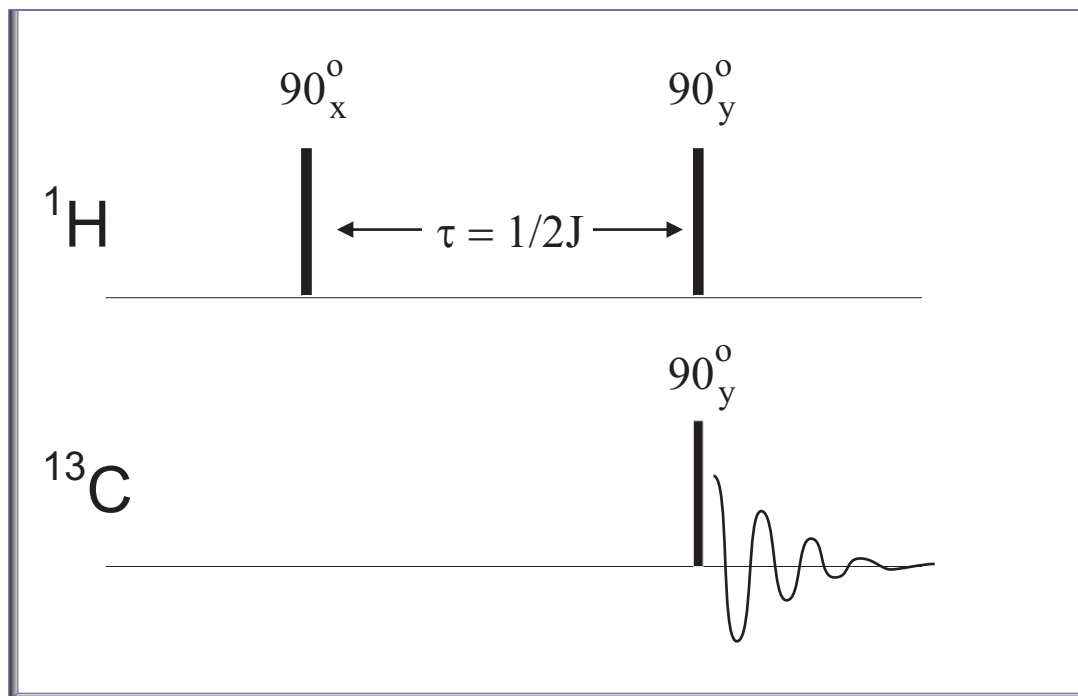


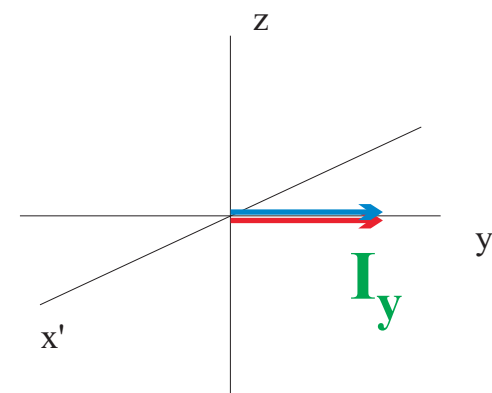
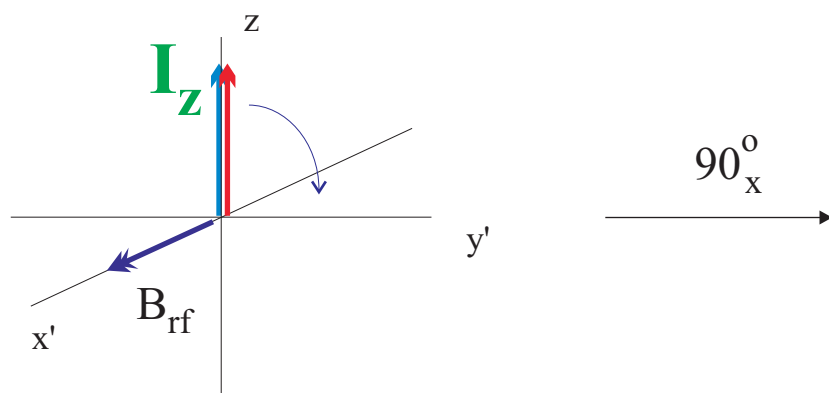
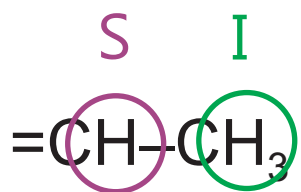
Rf rotations act *independently* on spin terms in a product operator description. Thus, the second  $90_y$  pulse in the COSY sequence rotates  $I_x$  to  $I_z$ , and also rotates  $S_z$  to  $S_x$ . The combined effect is a **polarization transfer** of **I** to **S** magnetization (from methyl to methine):





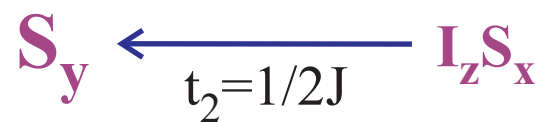
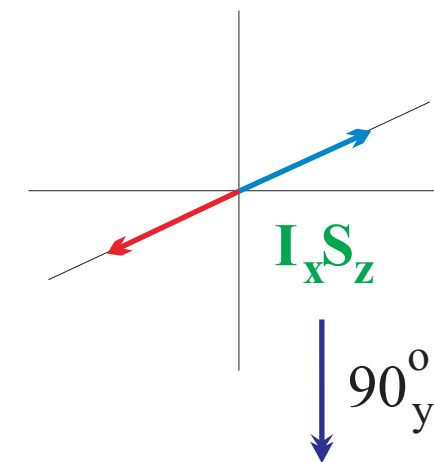
From INEPT description, we had an analogous situation: transfer of magnetization via  $90^\circ$  pulses on the two spins. For INEPT the 2 spins are heteronuclear, so 2 separate pulses. For COSY the 2 spins are homonuclear, so one  $90^\circ$  pulse operates on both.



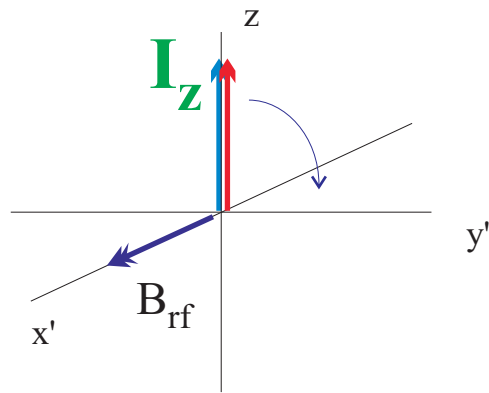
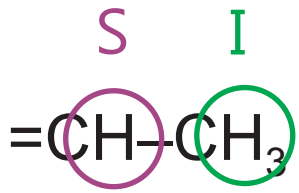


It takes another  $1/2J$  time period to convert the  $I_z S_x$  anti-phase magnetization back to pure  $S_y$  single quantum magnetization.

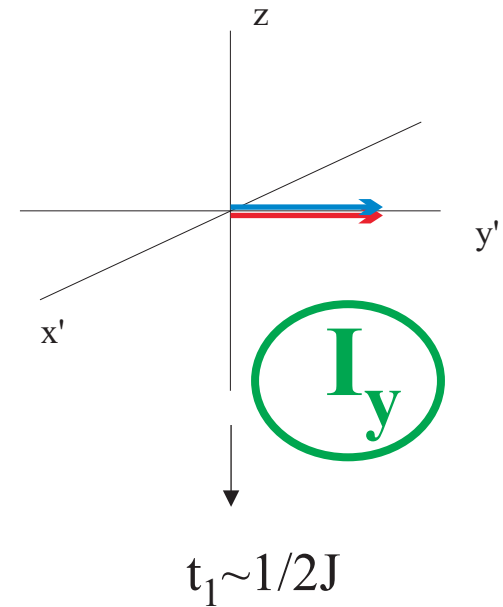
$$I_z S_x \rightarrow I_z S_x \cos(\pi J t_2) + S_y \sin(\pi J t_2)$$





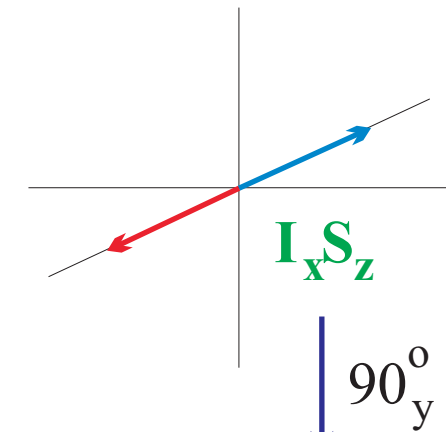


90°<sub>x</sub>

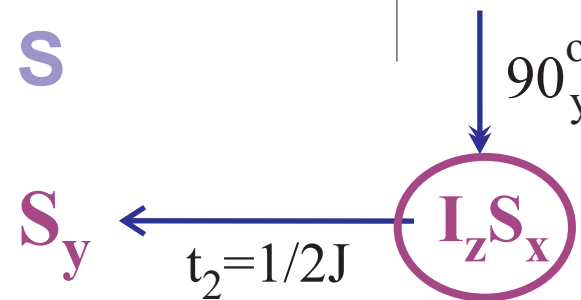


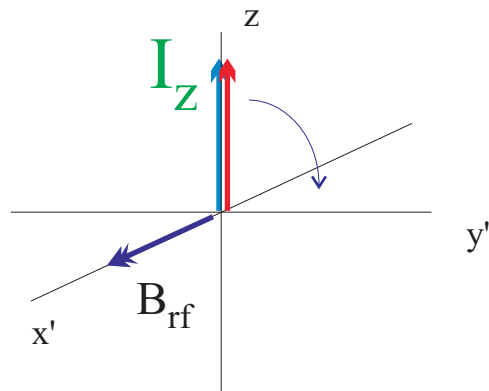
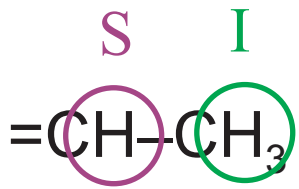
During  $t_1$ , observe  $\delta_I$  and  $J$  of spin I

The spin terms are out of phase;  
one is **cos** modulated, the other **sin**.  
Process in magnitude mode.

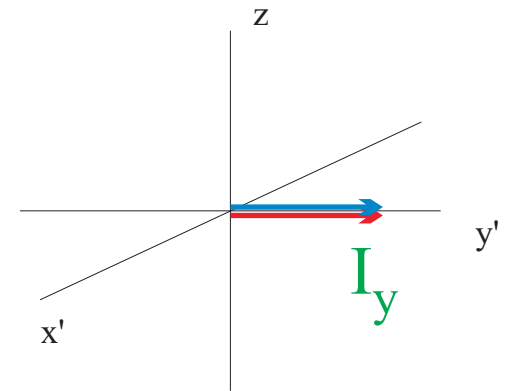


During  $t_2$ , observe  $\delta_S$  and  $J$  of spin S

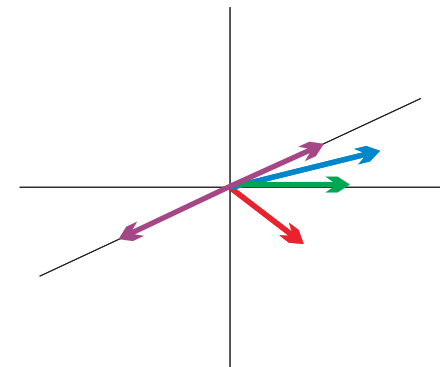




$90^\circ_x$



$t_1 \sim 1/4J$



$$I_y \cos \pi J t_1 + I_x S_z \sin \pi J t_1$$

$90^\circ_y$

$$I_y \cos \pi J t_1 + I_z S_x \sin \pi J t_1$$

$t_2$

$$I_y \cos \pi J t_1 \cos \pi J t_2 + S_y \sin \pi J t_1 \sin \pi J t_2$$

diagonal (absorptive) + crosspeak (dispersive)