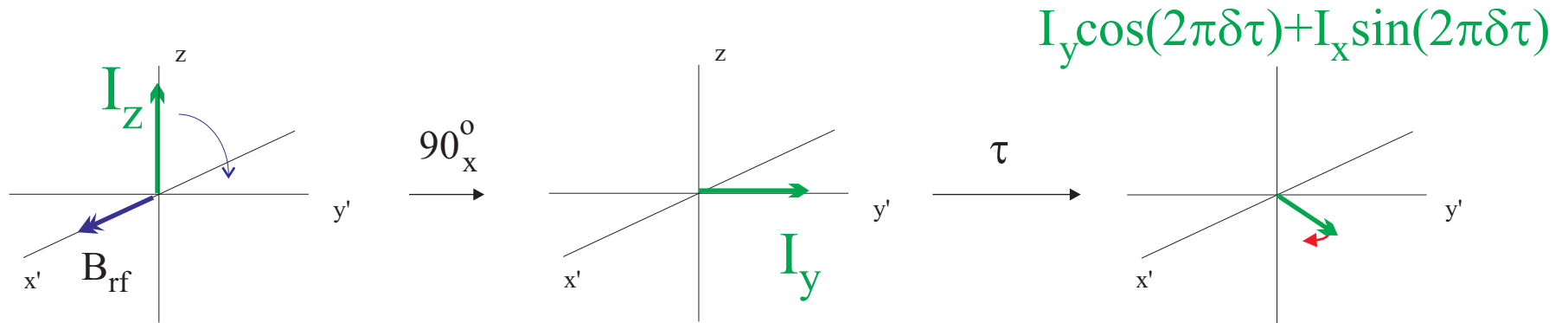


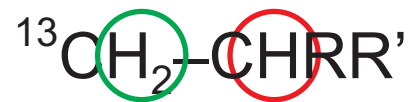


## Spin Echoes: $\delta$

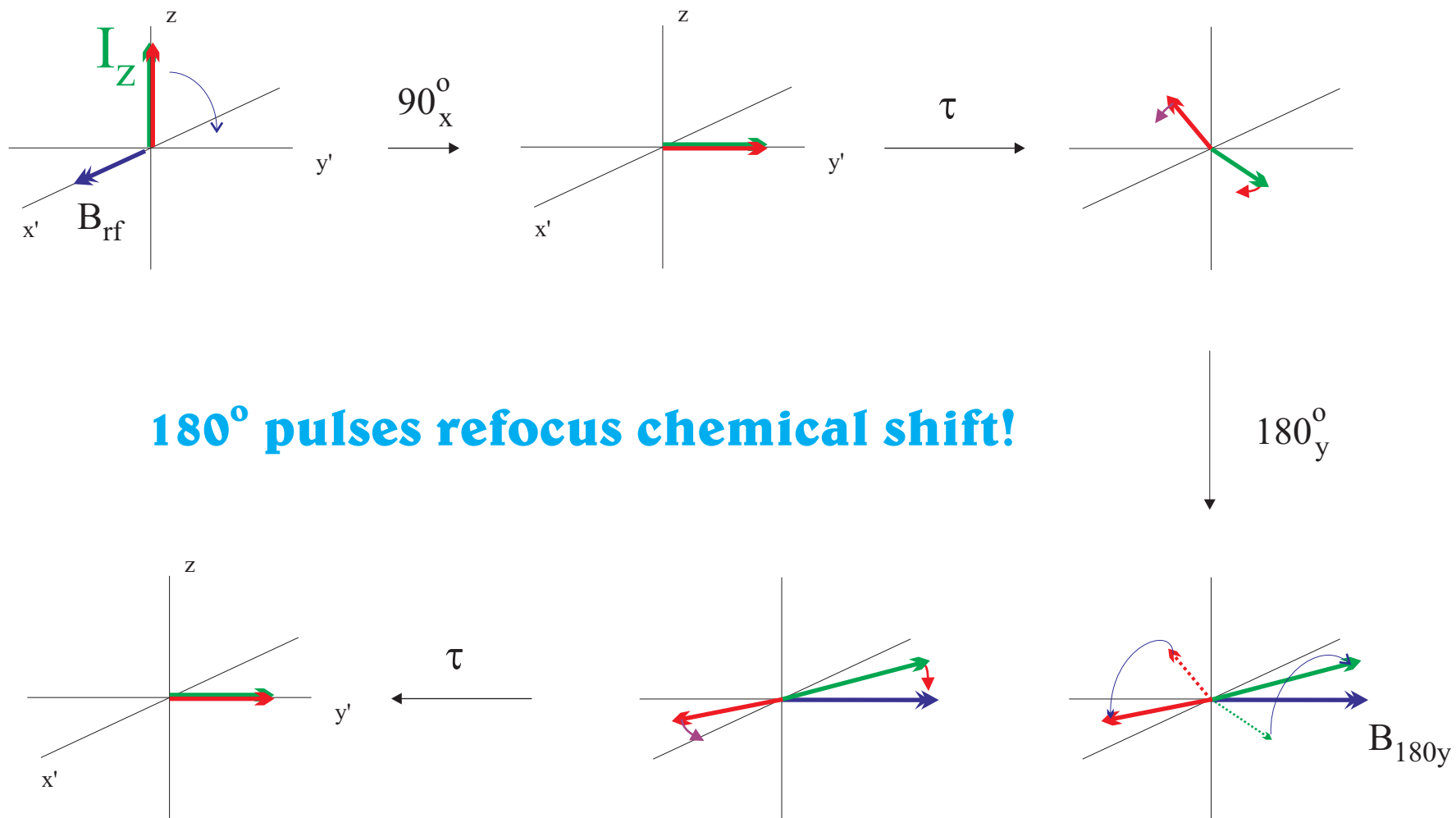


If  $\tau = 100\mu\text{s}$ ,  $\delta = 2\text{ppm @ } 500\text{ MHz} = 1000\text{ Hz}$

$\tau \times \delta = 0.1$  so vector rotates  $0.1 \times 360 = 36^\circ$

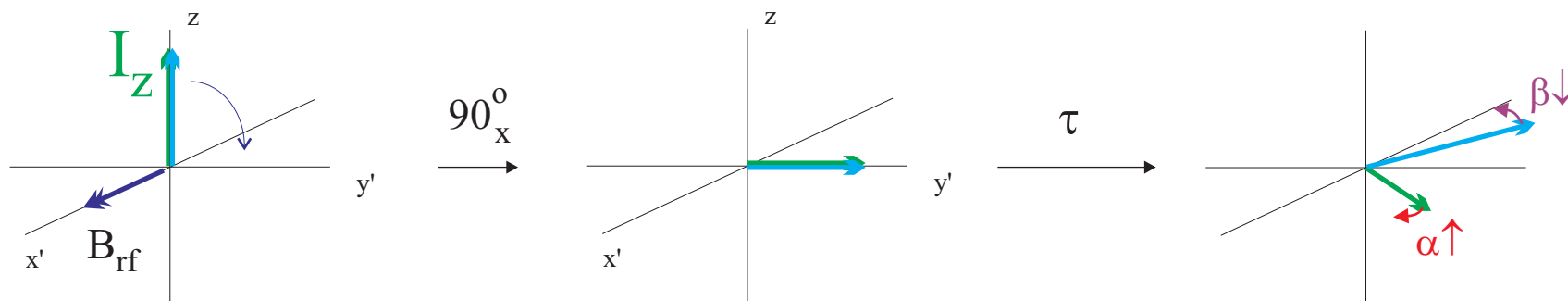


# Spin Echoes: $\delta$



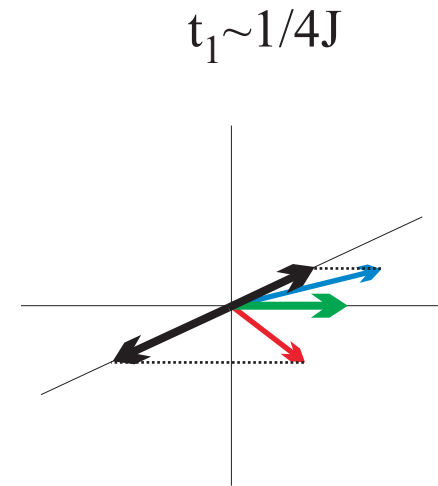


## Spin Echoes: J-coupling



**Remember that J-coupling involves 2 sets of molecules:**  
**one** where the coupled spin is  $\alpha \uparrow$   
**the other** with the coupled spin being  $\beta \downarrow$

$$I_y \rightarrow I_y \cos(\pi J t_1) + I_x S_z \sin(\pi J t_1)$$

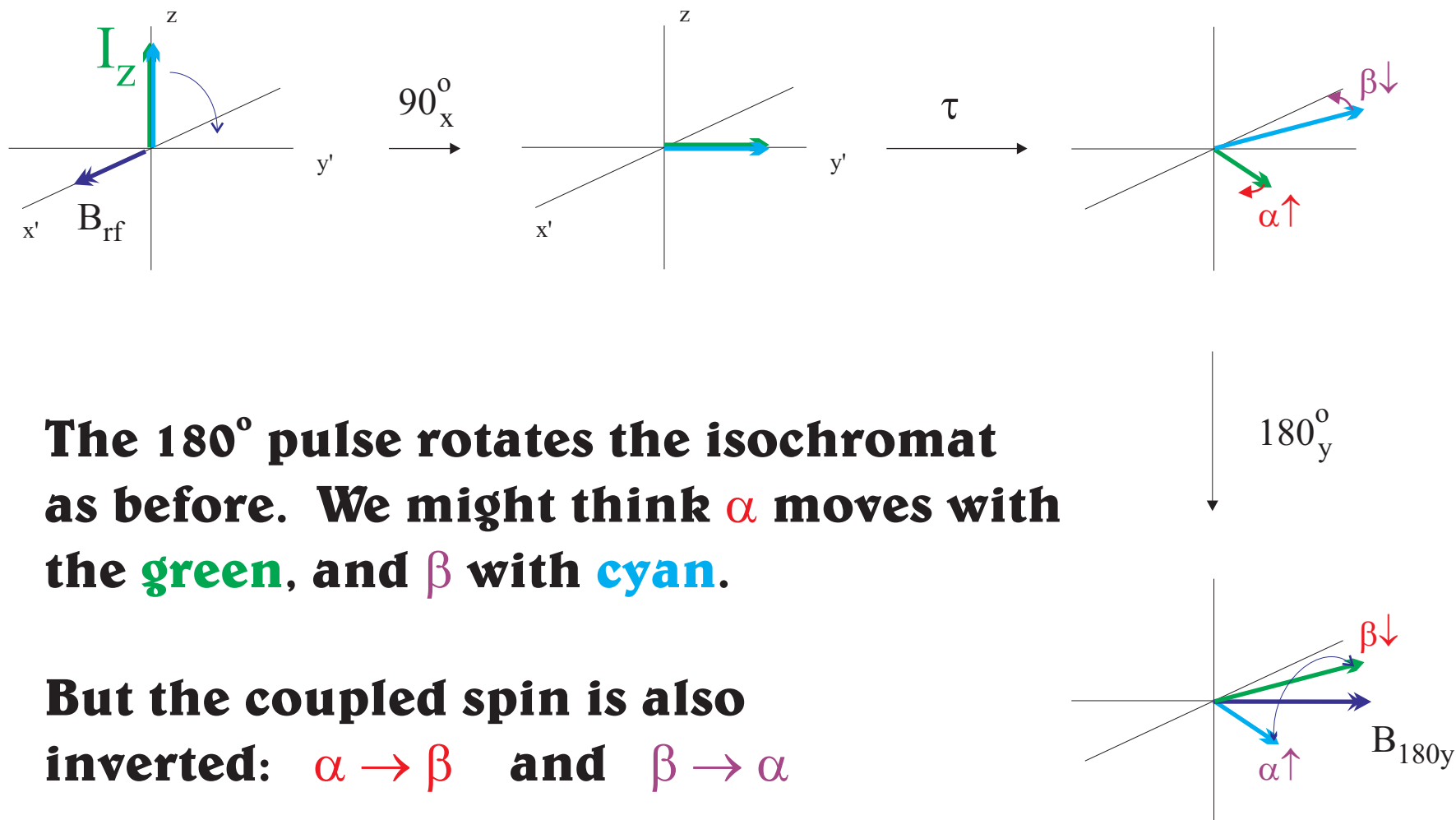


The product operator  $I_x S_z$  is called antiphase magnetization. The bilinear operator is a form of mixed magnetization that is not directly observable. It evolves, however, as:

$$I_x S_z \rightarrow I_x S_z \cos(\pi J t_1) + I_y \sin(\pi J t_1)$$



# Spin Echoes: J-coupling

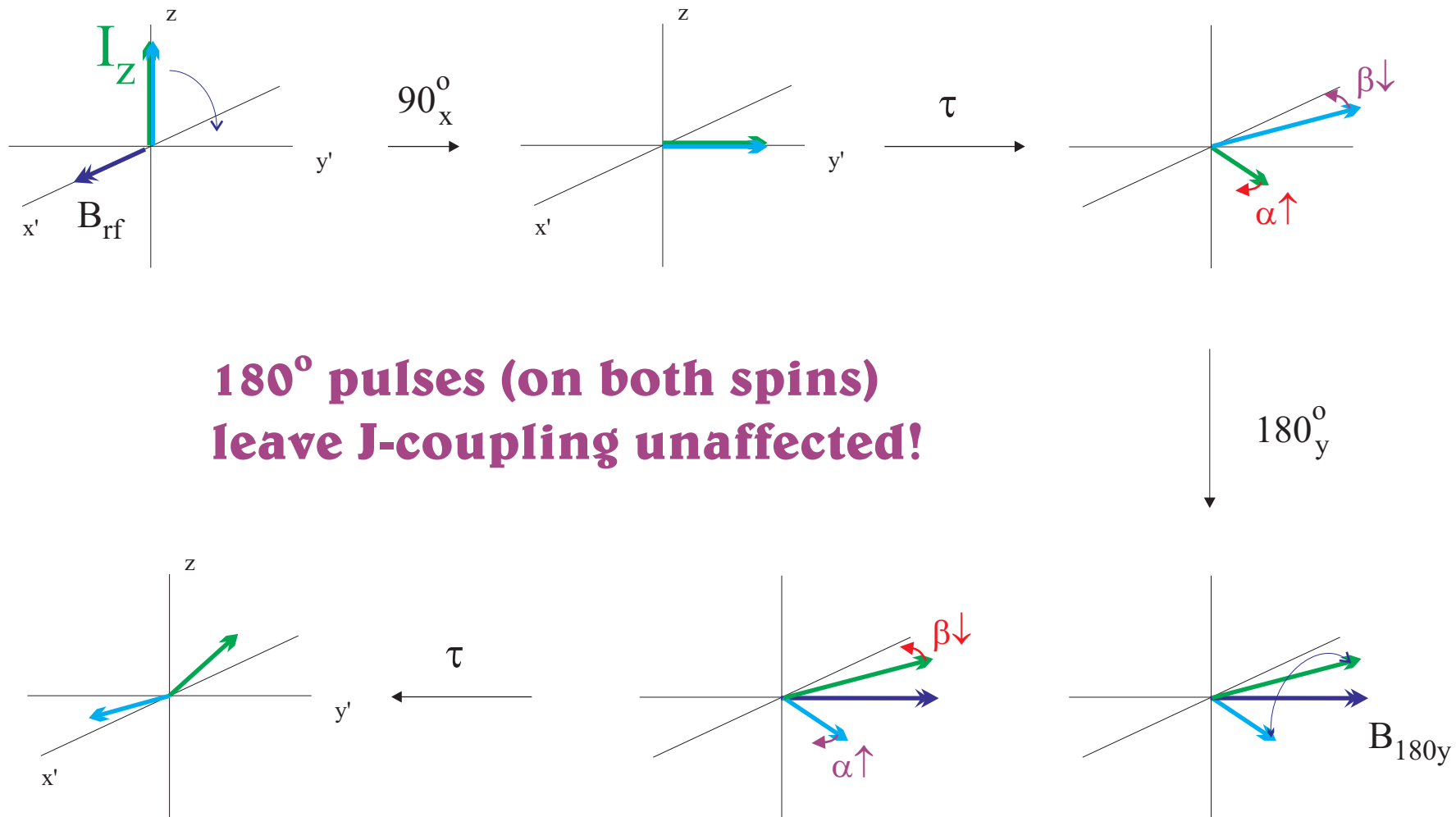


**The  $180^\circ$  pulse rotates the isochromat as before. We might think  $\alpha$  moves with the green, and  $\beta$  with cyan.**

**But the coupled spin is also inverted:  $\alpha \rightarrow \beta$  and  $\beta \rightarrow \alpha$**



# Spin Echoes: J-coupling



**180° pulses (on both spins)  
leave J-coupling unaffected!**